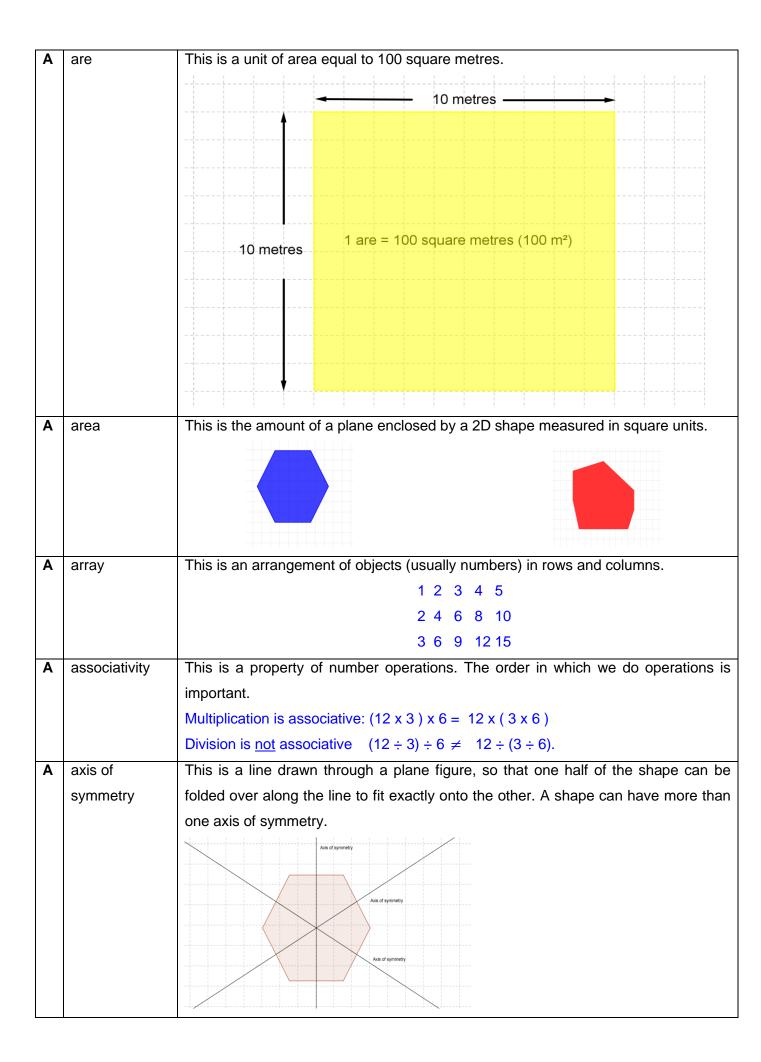
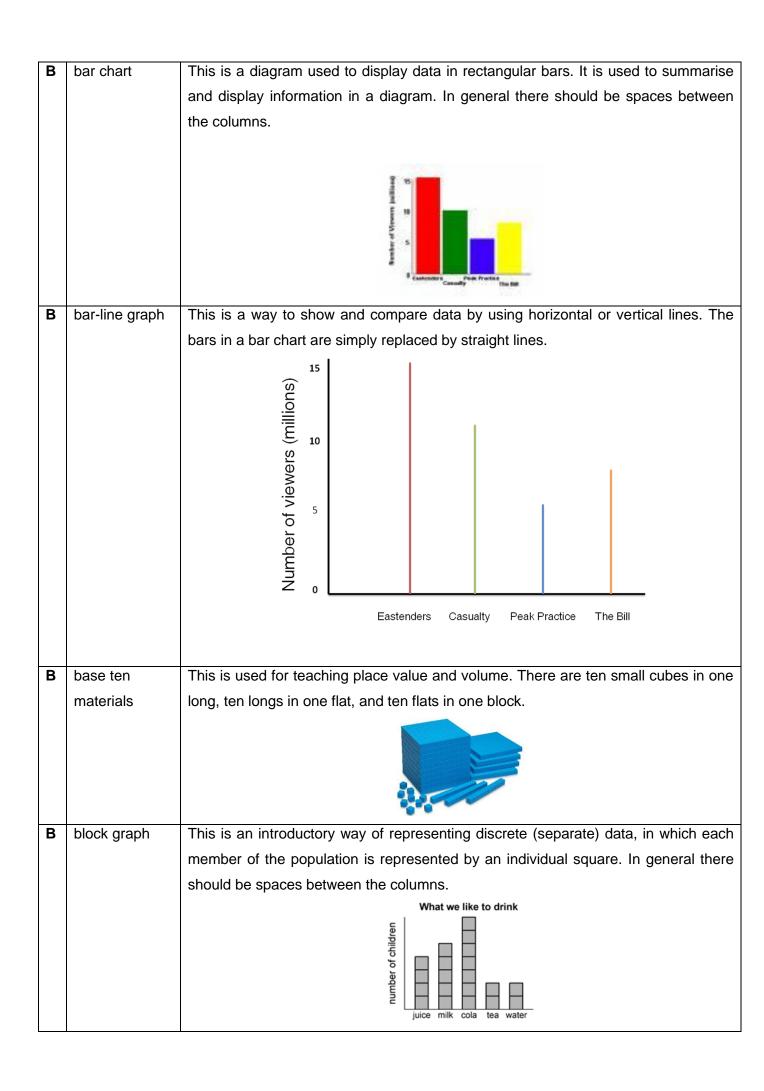


Glossary of mathematical terms to support the Mathematics Primary School Curriculum

| | Term | Diagram, definition, explanation, example |
|---|----------------|---|
| Α | abacus | This helps to perform calculations by sliding beads along rods. |
| | | 0000000000 0000000000 0000000000 000000 |
| Α | acute | This is an angle that is greater than 0° but less than 90°. |
| | | 45° |
| Α | algorithm | This is a step by step procedure that gives the solution of a particular problem. |
| | | Multiplication and division in numbers are examples of how we use algorithms to |
| | | find answers in an efficient way. |
| Α | analogue clock | This is a clock on which hours, minutes and sometimes seconds are indicated by |
| | | hands on a dial. |
| | | 9 8 7 6 5 |
| Α | angle | This is made when two line segments meet at a point (vertex), or when two lines |
| | | intersect. It is be measured in degrees and can be acute, right, obtuse or reflex. ACUTE OBTUSE OBTUSE 116.57 |





| С | cardinal | This is the number of elements in a set. The symbol for it is #. |
|---|---------------|--|
| | number | Example: W = { 3, 45, 17, bear, z} # W= 5 |
| С | capacity | This is the internal volume of a container or simply the amount that a container can |
| | | hold. |
| | | Example: The capacity of the bucket is twenty litres so it takes a volume of twenty |
| | | litres of water to fill it. |
| | | |
| С | chance | This is measurement that applies to events. Chance does not tell you what will |
| | | happen next but predicts what will happen in the long run. |
| | | Example: Tossing a coin |
| | | How many heads/tails might turn up in 10, 20, 30 times? |
| | | Would the results be the same if the experiment was repeated? |
| | | |
| С | circumference | This is the length of the perimeter of a circle. |
| | | DIAMETER |
| С | clustering | This is a form of estimation that is best suited to groups of numbers that 'cluster' |
| | strategy | around a common value. |
| | | Example: Numbers of people who came to our concert |
| | | Monday Tuesday Wednesday Thursday Friday |
| | | 425 506 498 468 600 |
| | | The average attendance was about 500 per night. |
| | | 500 x 5 nights = 2,500 |
| С | commutative | This is a property of the number operations addition and multiplication. |
| | | In addition $1 + 2 = 2 + 1$, i.e. it works both ways, it is commutative. |
| | | In subtraction or division it does not work both ways, e.g. $6-7 \neq 7-6$. |

| С | common factor | This is a number that divides evenly into more than one other number. (See factor) |
|---|-----------------|--|
| | | Examples: 16 has factors 1,2,4 ,8,16 |
| | | 20 has factors 1,2,4 ,5,10,20, |
| | | 36 has factors 1,2, 3, 4 ,6,9,12, 18,36 |
| | | 1, 2 and 4 are the common factors and 4 is the highest common factor. |
| С | complementing | This is a form of subtraction. |
| | | Example: There are 10 stickers in a set. I have 4. How many more do I need to |
| | | make a full set? |
| С | complement of | These are the elements not in a set. |
| | a set | Example: The set P =[1,2,3] the complement P' = [4,5] |
| | | D 1 2 5 3 |
| С | components of | This is the combination of ways in which a number can be made. |
| | number | Example: The number 4 can be made up of 1 + 1 + 1 + 1, 2 + 2, 3 + 1, 1 + 3 etc. |
| С | composite | This is a number with more than two factors. |
| | number | Example: 6,12, 51, 65 |
| С | congruent | These are 2D shapes that have identical properties and are exactly the same size, |
| | | shape and measure of angle. |
| | | t t 54.16° 77.47° 48.37° t 48.37° |
| С | conjecture | This is an unproven statement which appears correct and has not been proven to be |
| | | true or false. |
| | | Example: There is no biggest prime number. |
| С | conservation of | This means that numbers can be counted in any order. The set does not need to |
| | number | exhibit uniformity. |
| | | |

| С | co-ordinates | These are the numbered pairs used to locate points on the plane. The plane is a flat |
|---|------------------|---|
| | | surface, often referred to as the Cartesian plane. |
| | | There are some points shown in the four quadrants of the Cartesian plane. |
| | | E = (-2, 5) _E |
| | | 4 |
| | | A = (-3, 2) B = (3, 3) |
| | | 2 |
| | | 0 |
| | | D = (-2, -2) |
| | | -2 C = (2, -2) |
| | and the state of | |
| С | cylinder | This is a three-dimensional shape consisting of two identical circular ends joined by |
| | | one continuous curved surface. |
| | | |
| | | |
| | | |
| | | |
| | | |
| D | data | This is information. Data handling involves practice in questioning, collecting |
| | | information, analysing and recording or representing data visually using some form |
| | | of a graph or table. |
| | | Example: See block graphs, bar charts, bar-line graphs, pictograms. |
| D | deducting | This is a form of subtraction. |
| | | Example: I had 10 sweets, I ate 3. How many have I left? |
| D | denominator | This is the number below the line in a fraction. |
| | | 2 |
| | | 3 |
| | | |
| D | diameter | This is a chord through the centre of a circle. It is twice the radius in length. |
| | | |
| | | |
| | | |
| | | Radius Diameter |
| | | |
| | | 1 0 1 2 3 4 5 6 7 8 9 10 11 12 |
| | | |
| | | |
| | | |
| | | |

| D | difference | This means subtraction. |
|---|--------------|--|
| | | Example: The difference between two numbers such as 22 and 17 is 22–17 = 5. |
| | | 5 is the difference. |
| D | digit | These are the individual symbols used to build up numerals in a numeration system. |
| | | 0, 1, 2, 3, 4, 5, 6, 7, 8, and 9. |
| D | direct | These are when two sets are connected by a constant multiplier. |
| | proportion | A= {12, 24, 36} B= {3, 6, 9}. Set A is in direct proportion to set B and the constant |
| | | multiplier is 4. |
| D | discount | This is a reduction (usually a percentage). This is associated with money. |
| | | LUF TO |
| | | 20% OFF |
| | | MILLEO TEACH PROMISE |
| D | distributive | This is a property of number operations. |
| | | It describes how two operators can be used together when linked in a certain way. It |
| | | does not always work. |
| | | 5(4+3) = 5(7) = 35 and this equals $5(4) + 5(3) = 20+15 = 35$, i.e. multiplication is |
| | | distributive over addition. |
| | | $5(20 \div 5) = 5(4) = 20 \neq 5(20) \div 5(5) = 100 \div 25 = 4$, so multiplication is not |
| | | distributive over division. |
| D | dividend | This is a number or quantity to be divided by another number or quantity. |
| | | Example: $24 \div 6 = 4$, 24 is the dividend. |
| D | divisor | This is the number that does the dividing. |
| | | $36 \div 9 = 4$, the number 9 is the divisor. |
| Е | edge | This is the intersection of two surfaces; in particular, the straight line where two |
| | | faces of a polyhedron meet. |
| | | |
| | | |
| | | |
| Е | element | This is a member of a set. |
| | | Example: A = {dog, fridge, 17, Liverpool}. There are four elements in the set A; dog |
| | | is one of the elements. |
| Е | empty number | This is a number line without a scale, used to support mental and informal additions |
| | line | and subtraction. |
| | | |
| | | |
| | | |
| | | |

| Ε | equation | This is a maths statement in symbols that includes an equals sign (equality). |
|---|---------------|---|
| | | Example: $2b + 4c = 34$ |
| Е | equivalent | This means 'has the same value as'. |
| | | Example: ½, 0.5, and 50% are equivalent. |
| Е | estimate | This is an approximation to an answer. |
| | | |
| Е | expanded form | This is when the value of each digit in a numeral is written in its entirety. |
| | | Example: 246 = 2 hundreds + 4 tens + 6 units or 200 + 40 + 6 |
| Е | experiment | This is an activity which allows information/data to be collected and recorded (often |
| | | called the results of the experiment). |
| | | Example: rolling a pair of dice and recording the total. |
| | | |
| Е | exponential | This is an expression in which a number is raised to some power. The power is the |
| | | exponent. (see power) |
| | | 6 ² , 8 ³ , 12 ⁹ |
| F | face | One of the plane surfaces of a polyhedron. |
| | | A cube has six faces. |
| | | |
| F | factor | This is a whole number or expression that divides evenly into another number. |
| | | Example: 24 has eight factors including itself and one;1,2,3,4,6,8,12,24 |
| | | Prime numbers such as 7, 11, and 23 have exactly two factors. |
| F | foreign | This is the value one currency has in relation to another. |
| | exchange rate | Example: Foreign exchange rate. €1.00 = \$ 1.39 thus €100 = \$ 139. |
| | | \$ 2085 = 2085 ÷ 1.39 = € 1500 |
| F | formula | This is an easy way of expressing information using symbols. |
| | | Example: Area of a triangle (½ x base x height) = ½bh |

| F | frequency | This is the number of times an event occurs in an experiment. Frequencies are |
|---|---------------|---|
| | | often summarised in a table or a histogram. |
| | | Example: in nine soccer matches played on a school pitch during a tournament the |
| | | number of goals scored was recorded as 0, 1, 1, 0, 2, 2, 0, 2, 0. This information |
| | | could be summarised in a frequency table: |
| | | Number of goals 0 1 2 |
| | | Frequency 4 2 3 |
| F | friendly | There are two numbers that are related to each other in a way that makes a |
| | numbers | calculation particularly easy. |
| | | Example:457 - 257 |
| F | front-end | This is a form of estimation that has its strongest application in addition. The left- |
| | strategy | most digits (front-end) are the most significant in forming an initial estimate and can |
| | | be used on their own in the earlier stages to establish a rough estimate. |
| | | Example :€1.54 + €6.35 + €0.99 + €2.51 = |
| | | €1 + €6 + €2 = €9 |
| | | 54c + 35c makes €1 approx, 99c is nearly €1 and 51c is nearly 50c |
| | | Overall estimate is €11.50 (€9 + cent estimate of €2.50) |
| G | geoboard | This is used for learning about co-ordinates as well as making 2D shapes using |
| | | elastic bands. |
| | | |
| | Casatrias | These are used to construct 2D shares |
| G | Geostrips | These are used to construct 2D shapes. |
| | | |
| | | |
| Н | highest | This is the largest whole number than divides into two or more whole numbers (see |
| | common factor | common factor). |
| | (hcf) | Example: hcf of 16, 28 and 36 = 4 |
| Н | hectare | This is a unit of area equal to 100 ares. |
| | | 100m |
| | | Hectare |
| | | (10,000m ²) |
| | | |

| Н | hexagon | This is a six-sided polygon. |
|---|---------------|---|
| | | |
| I | improper | This is a fraction in which the number above the line (numerator) is larger than the |
| | fraction | number below (denominator). |
| | | Example: $\frac{5}{3}$ |
| I | integers | These are whole numbers, plus and minus, including zero. The set of integers is |
| | | represented by the letter Z. |
| | | Examples: -12, -6, 8, 0, 257, - 4398 are integers. |
| I | interest rate | This is the percentage of total earned on an investment or paid on a loan. |
| | | Example: €100 invested in a bank for 1 year at an interest rate of 10% will |
| | | accumulate to €110. |
| | | |
| I | inverse | This means 'the opposite' in many cases. |
| | | The inverse of addition is subtraction. The additive inverse of a number is the |
| | | number you add to it to give zero. The additive inverse of -8 is 8. The multiplicative |
| | | inverse is the number you multiply by to give 1. The multiplicative inverse of 7 is $\frac{1}{7}$. |
| K | kilogram | This is the unit of mass (1000 grams) |
| | rano gi ai ir | 1 kg = 1000 g |
| L | line segment | This is a part of a line. |
| | J | It has endpoints, by which it is identified or named. The line segment [AB] is |
| | | illustrated. |
| | | |
| | | k |
| | | |
| | | |
| | | |
| | | |
| | | |
| | | |

| L litre This is the unit of capacity for measuring liquids. 1 litre =1000ml This is the smallest number that given denominators will divide into evenly. tocommon multiple (lcm) Example: To find what the lcm of 8, 9, and 12 is we could list their multiples: 8,16, 24, 32, 40, 48, 56, 64, 72, 80, 88, 12, 24, 36, 48, 60, 72, 84, 96, 9,18, 24, 36, 45, 54, 63, 72, 81, 90, M mean This is the simple average of a given set of data. The mean of 8,7,12,0, 3 = 8+7+12+0+3=30÷5=6 M median This is the simple average of a given set of data arranged in order. Example: 18, 3, 7, 8, 16, 2, 3 becomes 2, 3, 3, 7, 8, 16, 18 and 7 is the median. -16, 2, -7, 2, 23, -9, 100, 0 becomes -16, -9, -7, 0, 2, 2, 2, 3, 100, (0+2)+2=1 M millilitre This is one thousandth of a litre, written as 1 ml. | L | line symmetry | This is when one half of the shape can be folded exactly onto the other half. |
|---|---|---------------|---|
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| multiple (Icm) until a common number is reached. Example :To find what the Icm of 8, 9, and 12 is we could list their multiples: 8,16, 24, 32, 40, 48, 56, 64, 72 , 80, 88, 12, 24, 36, 48, 60, 72 , 84, 96, 9,18, 24, 36, 45, 54, 63, 72 , 81, 90, M mean This is the simple average of a given set of data. The mean of 8,7,12,0, $3 = 8 + 7 + 12 + 0 + 3 = 30 \div 5 = 6$ M median This is the middle value (or two values) of a set of data arranged in order. Example: 18, 3, 7, 8, 16, 2, 3 becomes 2, 3, 3, $\underline{7}$, 8, 16, 18 and 7 is the median. -16 , 2, -7 , 2, 23, -9 , 100, 0 becomes -16 , -9 , -7 , $\underline{0}$, 2, 2, 23, 100. $(0+2) \div 2 = 1$ | L | lowest | |
| (Icm) Example :To find what the Icm of 8, 9, and 12 is we could list their multiples: 8,16, 24, 32, 40, 48, 56, 64, 72 , 80, 88, 12, 24, 36, 48, 60, 72 , 84, 96, 9,18, 24, 36, 45, 54, 63, 72 , 81, 90, M mean This is the simple average of a given set of data. The mean of 8,7,12,0, 3 = 8 +7 +12 +0 +3 = 30 ÷5 = 6 M median This is the middle value (or two values) of a set of data arranged in order. Example: 18, 3, 7, 8, 16, 2, 3 becomes 2, 3, 3, <u>7</u> , 8, 16, 18 and 7 is the median16, 2, -7, 2, 23, -9, 100, 0 becomes -16, -9, -7, <u>0, 2</u> , 2, 23, 100. (0+2) ÷2= 1 | | | |
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| Example: 18, 3, 7, 8, 16, 2, 3 becomes 2, 3, 3, <u>7</u> , 8, 16, 18 and 7 is the median. -16, 2, -7, 2, 23, -9, 100, 0 becomes -16, -9, -7, <u>0</u> , <u>2</u> , 2, 23, 100. (0+2) ÷2= 1 | | | The mean of 8,7,12,0, $3 = 8 + 7 + 12 + 0 + 3 = 30 \div 5 = 6$ |
| -16, 2, -7, 2, 23, -9, 100, 0 becomes -16, -9, -7, <u>0, 2, 2, 23, 100.</u> (0+2) ÷2= 1 | М | median | This is the middle value (or two values) of a set of data arranged in order. |
| | | | Example: 18, 3, 7, 8, 16, 2, 3 becomes 2, 3, 3, <u>7</u> , 8, 16, 18 and 7 is the median. |
| M millilitre This is one thousandth of a litre, written as 1 ml. | | | -16, 2, -7, 2, 23, -9, 100, 0 becomes -16, -9, -7, <u>0, 2, 2, 23, 100. (0+2) ÷2= 1</u> |
| | M | millilitre | This is one thousandth of a litre, written as 1 ml. |
| | | | |

| M | millimetre | This is one thousandth of a metre, written 1 mm. |
|---|----------------|---|
| | | |
| M | minus | This can be an operation or a property. |
| | | Example: 12- 8 = 4 is the operation of minus39 is described as negative thirty |
| | | nine or minus thirty nine and this is a property. |
| M | mixed | This is when a number is written with a whole number part and a fraction part. |
| | numbers | Example: |
| | | $7 + \frac{3}{8} = 7\frac{3}{8}$ |
| М | mode | This is the most commonly occurring value in a set of data. |
| | | Example:12, <u>34</u> , 25,17, <u>34</u> , 56,12, 67, 43, 68, 93, <u>34</u> , 33, 21, 25 the mode is 34 |
| М | multiple | This is when a number is made by multiplying it by another number. |
| | | Example: The multiples of 7 are 7, 14, 21, 28, 35, 42 |
| N | natural | The set of counting numbers starting at 1. They are represented by the letter N. |
| | numbers | Example: N= {1, 2, 3, 4, 5, 6, 7, 8, 9, 10} |
| N | notation board | This is used for learning about place value. |
| | | hundreds tens units |
| | | |
| | | |
| | | |
| | | |
| | | |
| N | negative | This is a property of a number often referred to as the sign of it. A negative number |
| | | is less than zero (see minus). |
| | | Example: - 20 |
| N | net | This is the plan of a 3D object. |
| | | Example: A cube with the net beside it. |
| | | 1 |
| | | 2 3 4 |
| | | 5 |
| | | 6 75 |
| | | O T |

| N | null set | This is a set that contains no elements. |
|---|---------------|---|
| | | Example: T = {The number of Irish people 5 m tall}. T = { } |
| | | The symbols used to show the null set are shown below. |
| | | |
| | | { } |
| N | number line | This is a straight line, on which points are used to represent numbers, emphasising |
| | | particularly the order of numbers and their position in relation to each other. |
| | | -10 -9 -8 -7 -6 -5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10 |
| N | number | This is an equation or statement of inequality. |
| | sentence | Examples: $4 - x = 11$, $4 x^2 < 12$ or $2 + 5 = 7$ |
| N | numerator | This is the number above the line in a fraction. |
| | | 2 |
| | | 3 |
| 0 | obtuse | This is an angle that is greater than 90° but less than 180°. |
| | | > 90° < 180° Obtuse Angle |
| 0 | oblique lines | These are lines that are neither parallel nor perpendicular. They would form either |
| | | an acute or obtuse angle if they intersected. |
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| | | This is a 2D about with sight to acc |
|---|----------------|--|
| 0 | octahedron | This is a 3D shape with eight faces. |
| 0 | ordinal number | This is a number denoting relative position in a sequence. |
| | | Example: first, second, third |
| 0 | outcome | This is the result of an experiment. |
| | | Example: Roll a die as an experiment and the outcome is a number between 1 and |
| | | |
| Р | parallel | This is when a line runs at an equal distance apart from another line and they never |
| | | meet. |
| Р | perimeter | This is the sum of the length of the sides of a figure or shape. |
| Р | perpendicular | This is when two lines meet at right angles (90°). |
| | | |

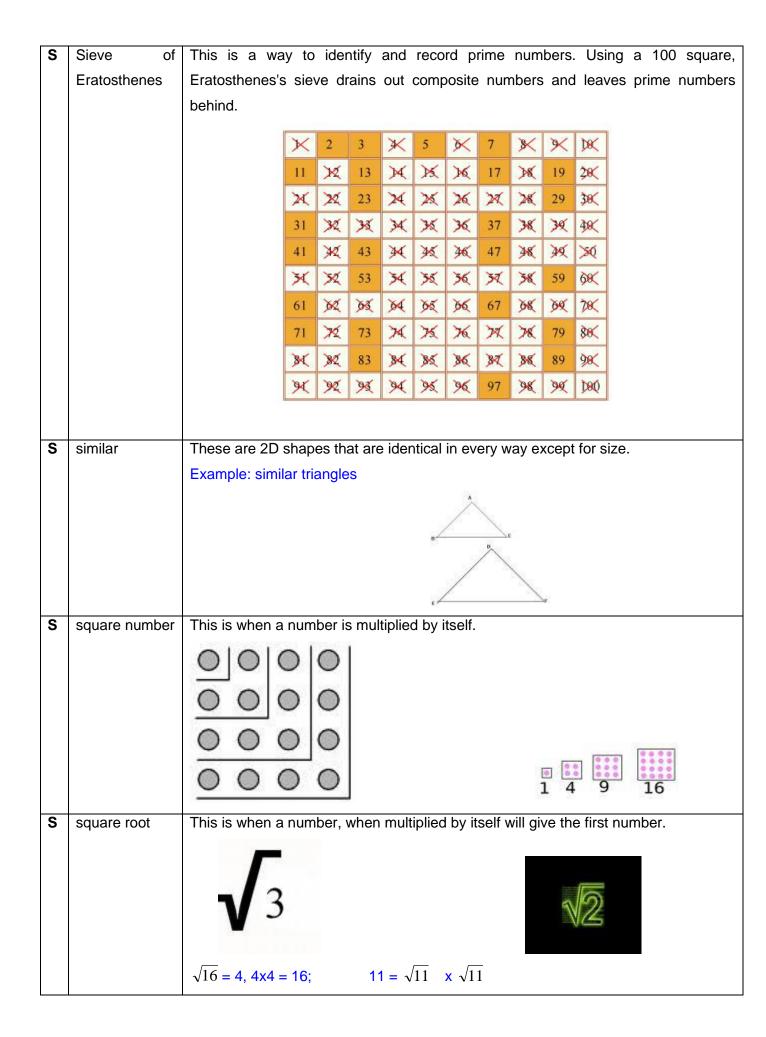
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| Р | polygon | This is a two-dimensional (2D) closed shape made up entirely of straight edges. It |
|---|--------------|---|
| | | does not have to be regular. |
| | | Examples: |
| | | |
| Р | polyhedron | This is a three-dimensional (3D) shape made up entirely of flat surfaces. It does not |
| | | have to be regular |
| | | Examples: |
| | | Total Control |
| Р | prime number | This is a number with exactly two factors, itself and 1. |
| | | Examples: 2, 3, 5, 7, 11, 13, 17, 19, 23, 29, |
| Р | prism | This is a shape made up of two identical polygons at opposite ends, joined up by |
| | | parallel lines. |
| | | |
| Р | probability | This is the study of chance; its value varies between 0 and 1. |
| | | Example: The probability of a fair coin landing on heads = 0.5 |
| | | |
| Р | product | This is the result when you multiply two numbers. |
| | | Example: 21 x 8 = 168 |
| Р | profit | This is the measure of gain in a financial transaction. |
| | | \$ |

| Р | protractor | This is a geometric instrument for measuring angles. |
|---|---------------|---|
| | | |
| Р | positive | This is a number which is greater than zero. |
| | | Example: $\sqrt{2}$, 5½, 7.09, 16 |
| Р | power | This is how often a number is multiplied by itself. It is also known as the index. |
| | | Example: $3^4 = 3 \times 3 \times 3 \times 3 = 81$ |
| Q | quadrilateral | This is a shape with four sides. |
| | | Example: A rhombus is a four-sided shape with |
| | | all of its sides equal in length. |
| | | Rhombus |
| | | |
| | guetient | This is the result of a division. |
| Q | quotient | |
| | | Example: $\frac{24}{8} = 3$ |
| R | radius | This is a line joining the centre of a circle to the edge of the circle. It is half the |
| | | diameter in length. |
| | | radius |
| R | range | This is the difference between the smallest and the largest piece of data in a set. |
| | | Example: The range of four people with heights of 160 cm, 155 cm, 180 cm, 178 cm |
| | | is 180 -155 = 25 cm |
| R | ratio | This is a comparison of two or more quantities. |
| | | Example: When making concrete you mix 9 parts of gravel with 2 parts cement. |
| | | The ratio of gravel to coment is 9:2 |
| | | The ratio of gravel to cement is 9:2 |

| R | rational | This is a set of numbers which includes whole numbers, minus numbers, zero, |
|---|--------------|---|
| | numbers | fractions and decimals. They are represented by the letter Q. |
| | | Examples: -97, 128, 0, $\frac{3}{7}$, $-\frac{12}{19}$, 0.529, -17.64 |
| R | rectangular | There can be found by using the unit dots to make triangles or the product of |
| | number | consecutive natural numbers. |
| | | Building the Rectangular Numbers |
| | | |
| | | |
| | | |
| | | |
| | | Shape 1 Shape 2 Shape 3 Shape 4 Shape n |
| | | 1×2 2×3 3×4 $4 \times 5 \dots \dots \times (n+1)$ |
| R | reflex angle | This is an angle that is greater than 180° but less than 360° (see angle) |
| | | > 180° |
| | | 100 |
| | | |
| | | $\langle \Lambda \rangle$ |
| | | \vee |
| | | 1 3 |
| | | |
| R | regrouping/ | This is when a numeral is reconfigured into its equivalent but different form. |
| | renaming | Example: 372 can be regrouped/renamed as 36 tens and 12 units. |
| | | 1 m 11 cm = $1^{11}/_{100}$ m = 1.11 m |
| | | Note: We use addition with regrouping/renaming when the sum of the numbers |
| | | along the same column is greater than 9. |
| | | Regrouping/renaming takes place in subtraction if any of the digits in the larger |
| | | number is smaller than any of the digits involved in the smaller number. |
| R | relative | This is the number of times an event happens divided by the total number of |
| | frequency | experiments. |
| | | How often the number 5 occurs when rolling a biased die twenty times. |

| R | right angle | This is an angle of 90°. |
|---|-------------|--|
| | | 90° |
| R | rounding | This is the process of approximating an answer to an appropriate degree of |
| | | accuracy; this can be done by rounding up or rounding down. |
| | | Example: €25.37 rounded up to the nearest ten cent is €25.40 |
| | | €24.14 rounded down to the nearest ten cent is €24.10; |
| S | scalene | This is a triangle with three sides of different length and, therefore, three different- |
| | triangle | sized angles. |
| | | b c a |
| S | sequence | This is a set of numbers written in order according to a rule. |
| | | Examples: 1, 2, 4, 8, 16, 32, 62 |
| | | 1, 2, 3, 5, 8, 13, 21 |
| S | set | This is a well defined collection of objects. |
| | | Example: S = { dog, cat, elephant, giraffe} |
| S | set diagram | This is the simplest picture of a population sorted into subsets; each subset is represented by an enclosed region (such as a circle) with the names of the items of individuals rather than just one. |
| S | side | These are the straight edges of a closed two-dimensional shape. |
| | | |
| | | |
| | | a a |
| | | b |
| | | |



| S | subitise | This is to tell at a glance, without counting, the number of items in a set. |
|---|-------------|---|
| | | |
| | | |
| | | |
| | | |
| | | |
| S | subset | This is a set which contains some or all elements of another set. The null set is a |
| | | subset of every set. |
| | | Example: Set A= {Kerry, Tyrone, Dublin, Galway}, K is a subset of A and could be |
| | | K= {Kerry, Tyrone, Galway}. |
| S | subtraction | This is an operation in Mathematics when the difference of two numbers is found |
| | | (see difference). |
| | | Example: $21 - 13 = 8$; $-12 - 4 = -16$; $63 - (-12) = 63 + 12 = 75$. |
| S | subtrahend | This is the number to be subtracted from another number. |
| | | Example: 10 – 4 (4 is a subtrahend) |
| S | survey | This is a method of collecting data often by asking questions of a population or a |
| | | sample of a population. |
| | | |
| Т | tally | This is made by recording a series of single strokes. Usually every fifth stroke is a |
| | | bar to the other four for easy counting. |
| | | / 11 (11 (11) |
| | | ास. रामर । रामर ॥ |
| | | DAL IN THE WATER |
| | | HFT_SHIT |
| Т | tangram | This is a Chinese puzzle made up of seven simple geometric shapes, 2 large |
| | | triangles, 1 medium triangle, 2 small triangles, 1 square and 1 parallelogram which |
| | | are capable of being recombined in many different figures. |
| | | 7 6 4 1 3 2 |
| | | |

| т | tessellation | Those are change that fit together exactly form a repeating nettern, and make an |
|---|---------------|--|
| T | tessellation | These are shapes that fit together exactly, form a repeating pattern, and make an |
| | | angle of 360 at the points of contact. |
| | | Examples: |
| | | |
| Т | transition | This is a simple device to aid children's conceptual understanding of addition and |
| | board | subtraction. |
| | | tens units |
| T | triangle | This is a three-sided shape. |
| | | Example: An equilateral triangle had 3 sides of equal length, an isosceles triangle |
| | | has 2 equal sides and a scalene triangle has no sides of equal length. |
| | | . <u>\</u> |
| | | |
| Т | trapezium | This is a four-sided figure with one set of parallel sides. |
| | | |
| Т | trundle wheel | This is an instrument for measuring distance by counting the number of clicks as the |
| | | wheel revolves. The circumference of the wheel is one metre. |
| | | |

| ٧ | variable | This is a symbol that represents a value in an algebraic expression. |
|---|---------------|--|
| | | Example: $y + 7 = 12$. |
| | | Y = 5 |
| ٧ | vertex | This is a point or corner on a 3D shape or where two shapes meet. |
| | | |
| ٧ | volume | This is the amount of space taken up by a 3D object. |
| | | Wolume Comme |
| | | System & Date |
| | | *** |
| | | V in Alle. Makes to Dec |
| | | appear occupied by an |
| | | A vests |
| | | $V = \frac{Nd^2h}{d}$ |
| | | Cylinder Filips |
| W | weight | This is the gravitational pull exerted on an object. |
| W | whole numbers | These can sometimes mean the Natural numbers (N) but are better described as |
| | | the integers (Z). |
| | | -5, -3, 0, 17, 213, 488 |
| | | |